

DVCS predictions + fits based on H1/ZEUS + EIC mock data

Salvatore Fazio

BNL

Kresimir Kumerički

University Zagreb

Dieter Müller

BNL/Ruhr-University Bochum

KMP-K, 0807.0159 [hep-ph]; KM 0904.0458 [hep-ph]

flexible GPD model for small x and fits of H1/ZEUS data

two codes in Phyton (+ Minuit + GeParD) & Mathematica + GeParD

S. Fazio in 1108.1713 [hep-ph]

EIC mock data 20 x 250 from a modified NLO Freund/McDermott code, exponential t -dependence
statistical errors, smeared kinematical variables + 5% systematic error added by hand

Model based on $SL(2,R)$ and $SO(3)$ PWE

- SL(2,R) GPD moments: $F_j(\eta, t) = \sum_{J=J_{\min}}^{j+1} \underset{\substack{\uparrow \\ \text{partial wave amplitudes} \\ \text{depending on } j \text{ and } J}}{f_j^J(t)} \eta^{j+1-J} \underset{\substack{\uparrow \\ \text{reduced Wigner} \\ \text{rotation matrices}}}{\hat{d}_J(\eta)}$

- taking 2 better 3 SO(3) PWs: $f_j^{j-1}(t) = s_2 f_j^{j+1}(t)$,
(two parameters s_2 and s_4)

- resulting CFF easy to handle: $f_j^{j-3}(t) = s_4 f_j^{j+1}(t)$,

$$\mathcal{F} = \frac{1}{2i} \sum_{\substack{k=0 \\ \text{even}}}^4 \int_{c-i\infty}^{c+i\infty} dj \xi^{-j-1} \frac{2^{j+1+k} \Gamma(5/2 + j + k)}{\Gamma(3/2) \Gamma(3 + j + k)} \left(i - \frac{\cos(\pi j) \mp 1}{\sin(\pi j)} \right)$$

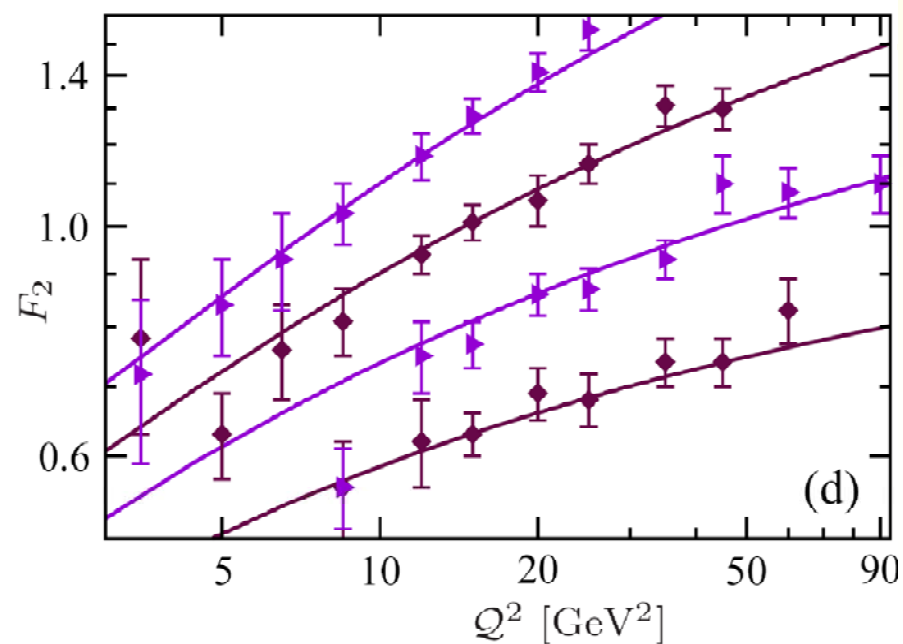
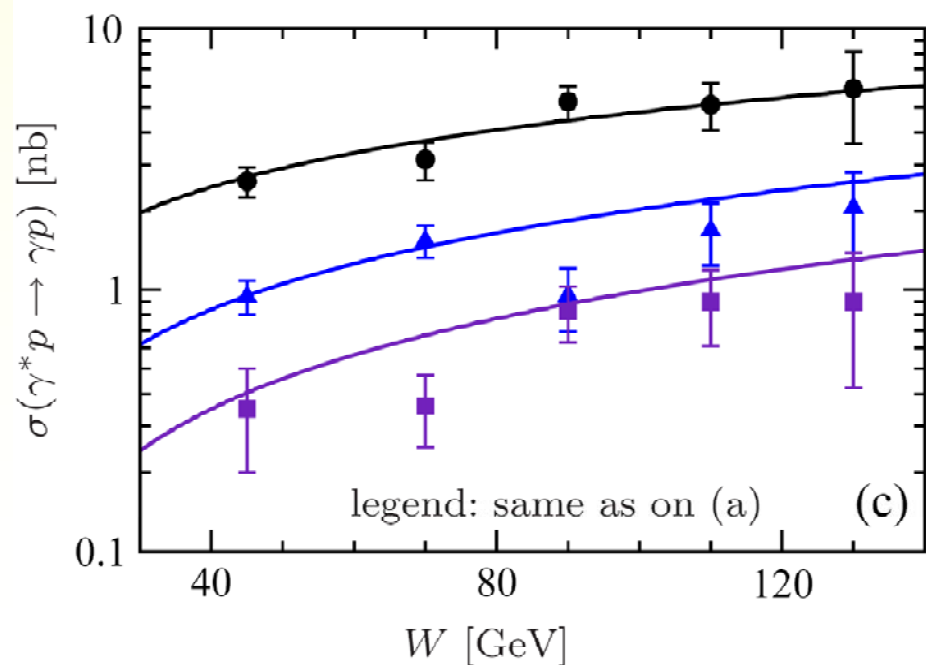
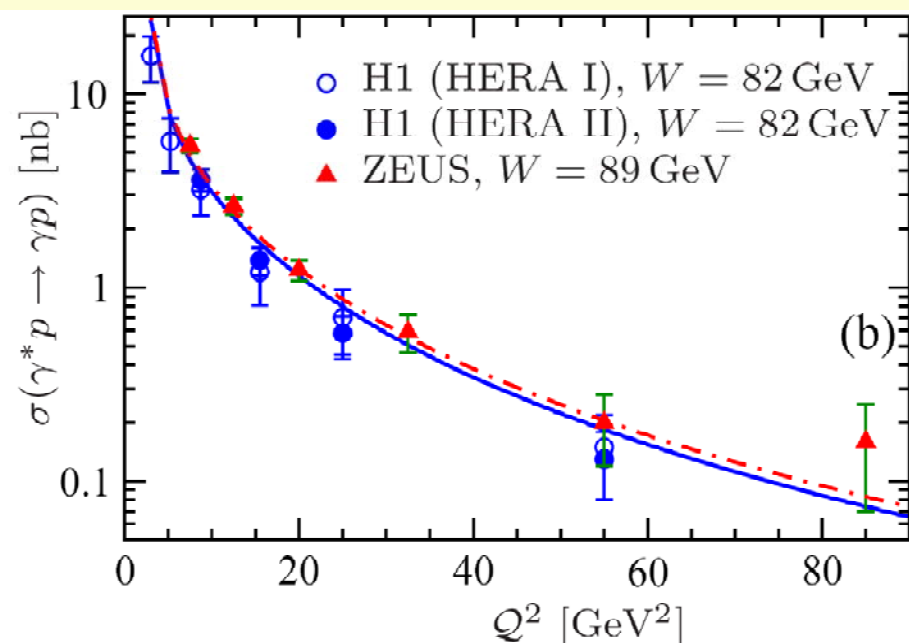
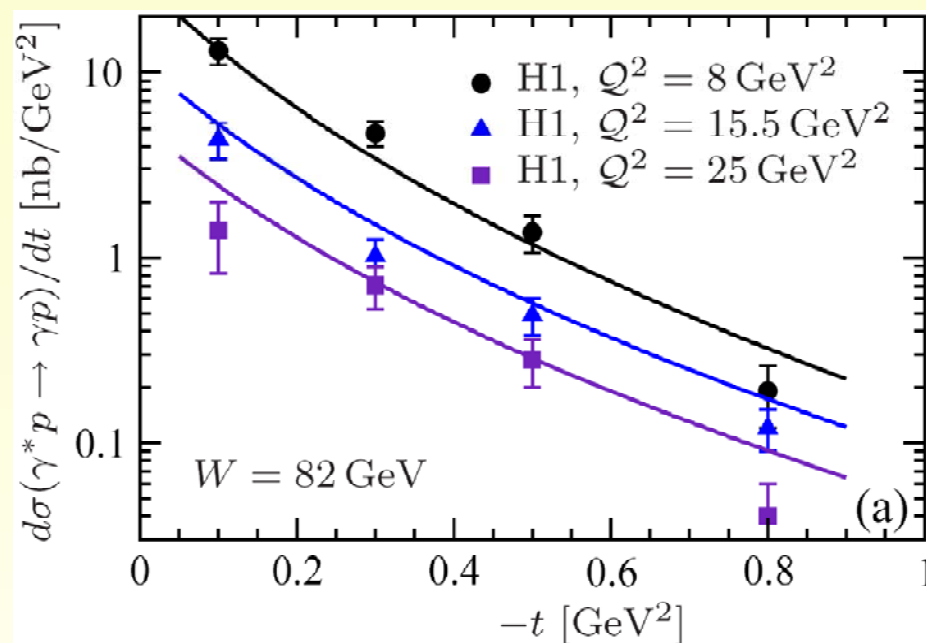
$$\times s_k E_{j+k}(Q^2) f_j^{j+1}(t) \hat{d}_j(\xi), \quad s_0 = 1$$

- zero-skewness GPD: $h_j^{j+1} = \underset{\substack{\uparrow \\ \text{PDF}}}{q_j} \frac{j+1-\alpha(0)}{j+1-\alpha(0)-\alpha' t} \underset{\substack{\uparrow \\ \text{'pomeron intercept' (build in PDF)} \\ \text{+ Regge slope}}}{\alpha(0)} \left(1 - \frac{t}{\underset{\substack{\uparrow \\ \text{residual } 2 \\ \text{t dependence}}}{M_j^2}} \right)^{-p}$

2x(2, 3, or 4) parameters:

s_2, s_4, M or b , (perhaps α')

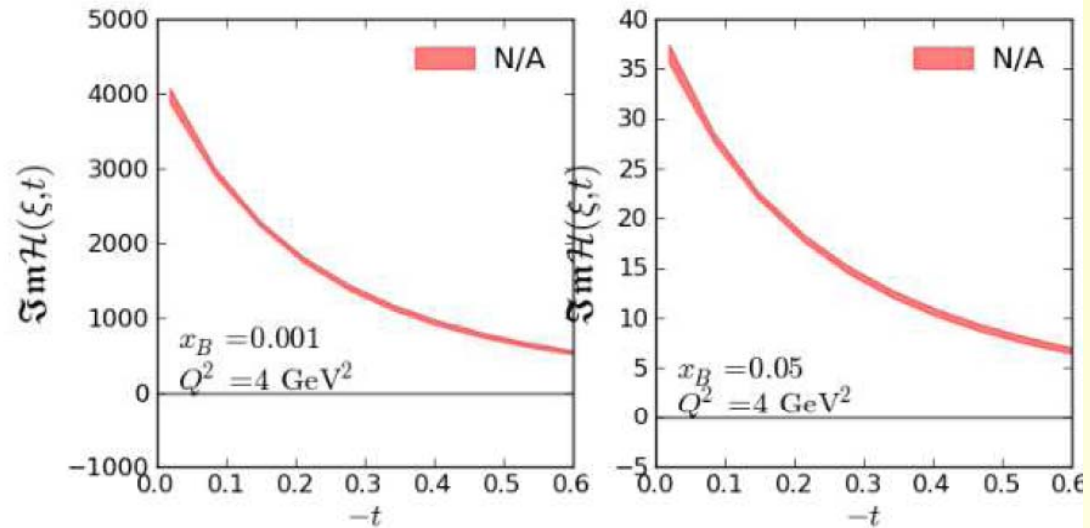
good DVCS fits at LO, NLO, and NNLO with flexible GPD ansatz



H1/ZEUS data

~ 180 data points H1/ZEUS,
not statistically independent

four parameter H1/ZEUS fit
(s_2^Q , M_2^Q , s_2^G , M_2^G)
provides small error bands



Note: PDF is considered as known (another uncertainty)
(n^{sea} , α^{sea} , α^{sea} , are fixed and $n^{sea} + n^{val} + n^G = 1$)

art of error propagation

increasing amount of (compatible) data will reduce error bands

increasing parameter set might result in bigger error bands

taking strongly correlated parameters s^2, s^4 might induce very big error bands

error bands depend on model assumptions and hypotheses

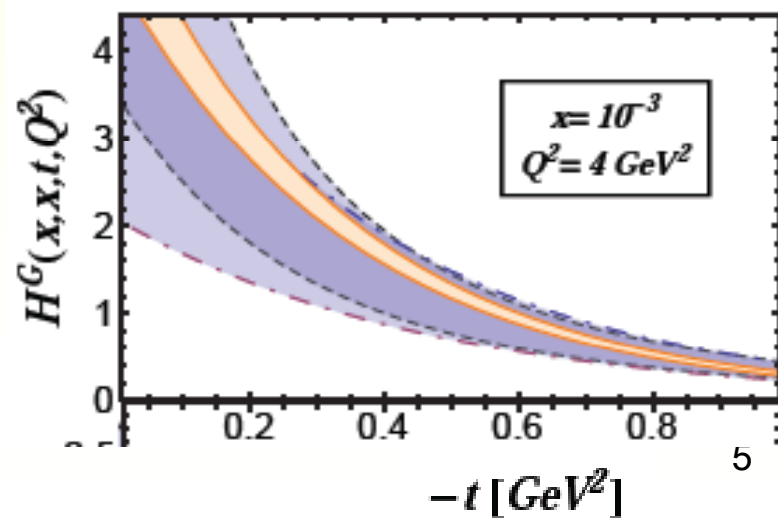
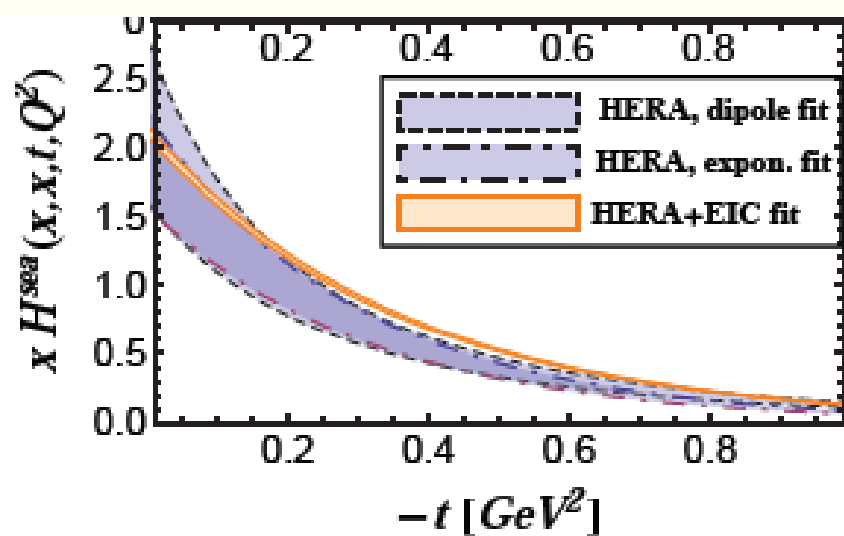
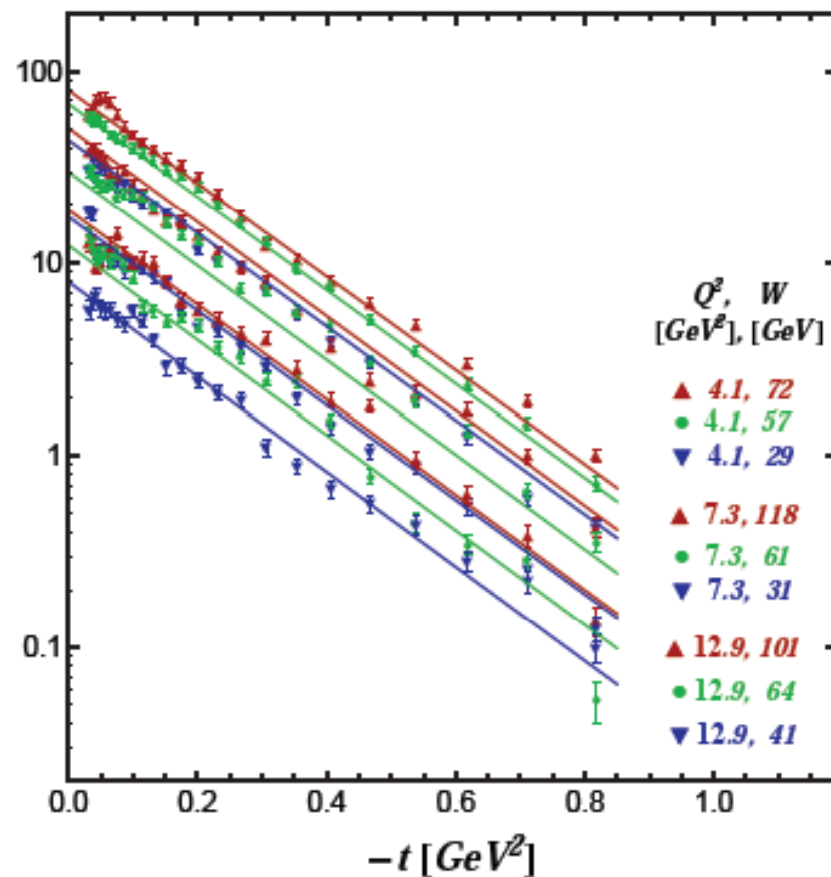
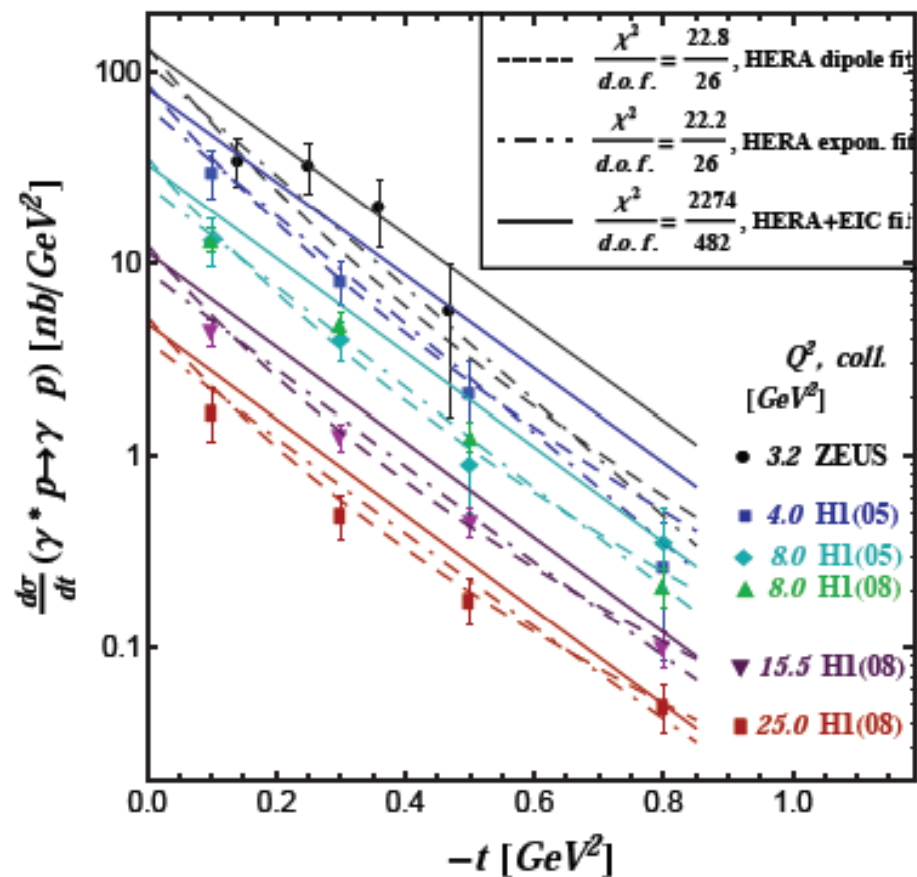
4 parameter fit with fixed PDFs

~ 30-50 H1/ZEUS points might be considered as independent

$b = 5/\text{GeV}^2$ is a bit incompatible with H1/ZEUS data

new mock data from Salvatore with $b \sim 5.6/\text{GeV}^2$ are better

(not entirely consistent with HERA data, statistically inconsistent)



effective functional form at small x :

PDFs: $q^{\text{sea}}(\xi, Q) = n(Q)\xi^{-\alpha(Q)}, \quad \alpha \gtrsim 1, \quad F^{\text{sea}}(0) = 1$

GPDs: $H = r(\eta/x = 1, Q) F^{\text{sea}}(t) \xi^{\alpha'(t, Q)} q^{\text{sea}}(\xi, Q)$

skewness

**transverse
distribution**

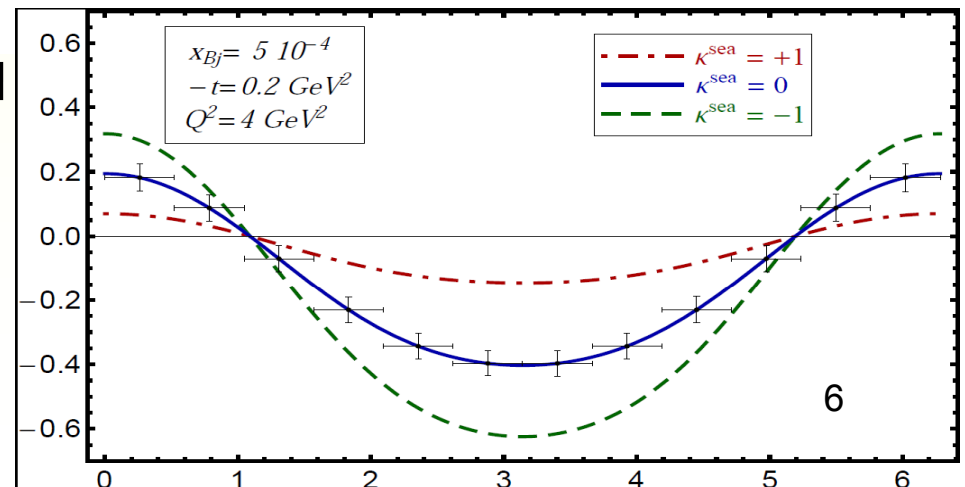
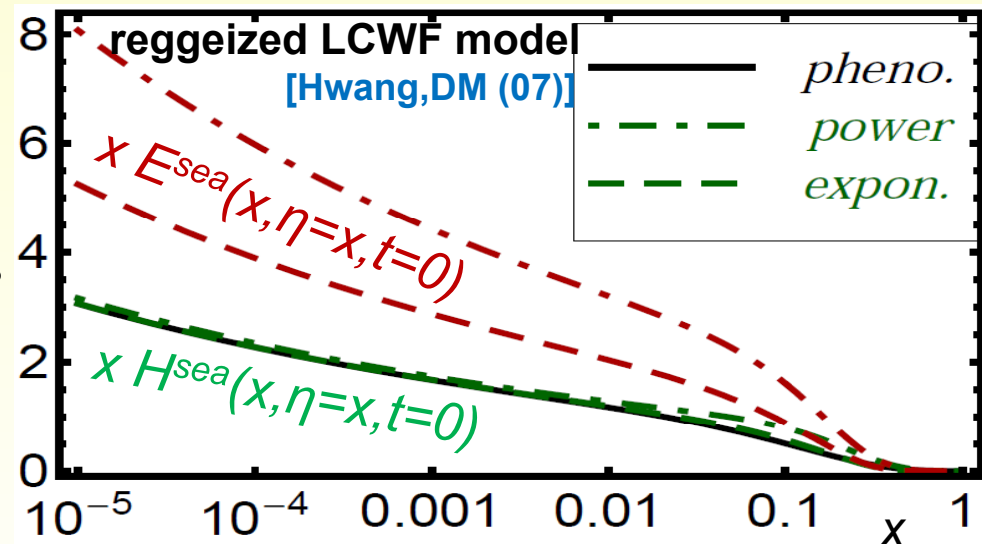
? $E(\xi, \xi, t, Q)$

- not seen in Regge phenomenology
- might be sizeable in instanton models
- reggeized spectator quark models
- pQCD suggests 'pomeron' intercept
- large N_c states $E \sim H$ (isosinglet)

qualitative understanding of E is needed
(not only for Ji's spin sum rule)

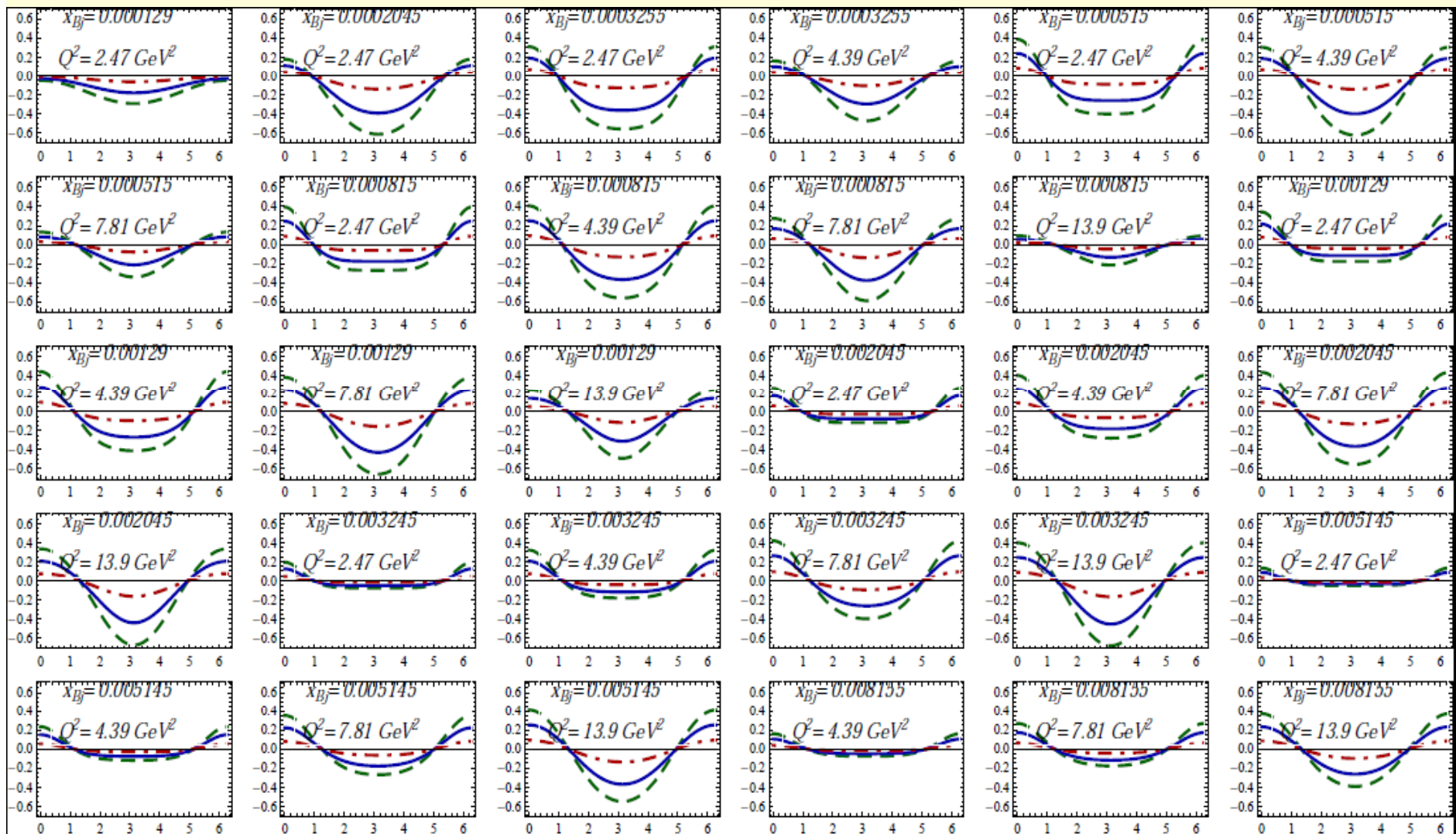
$$B = \int_0^1 dx x E(x, \eta, t, Q)$$

transverse target spin asymmetry
is **sensitive to E and sizeable at EIC**



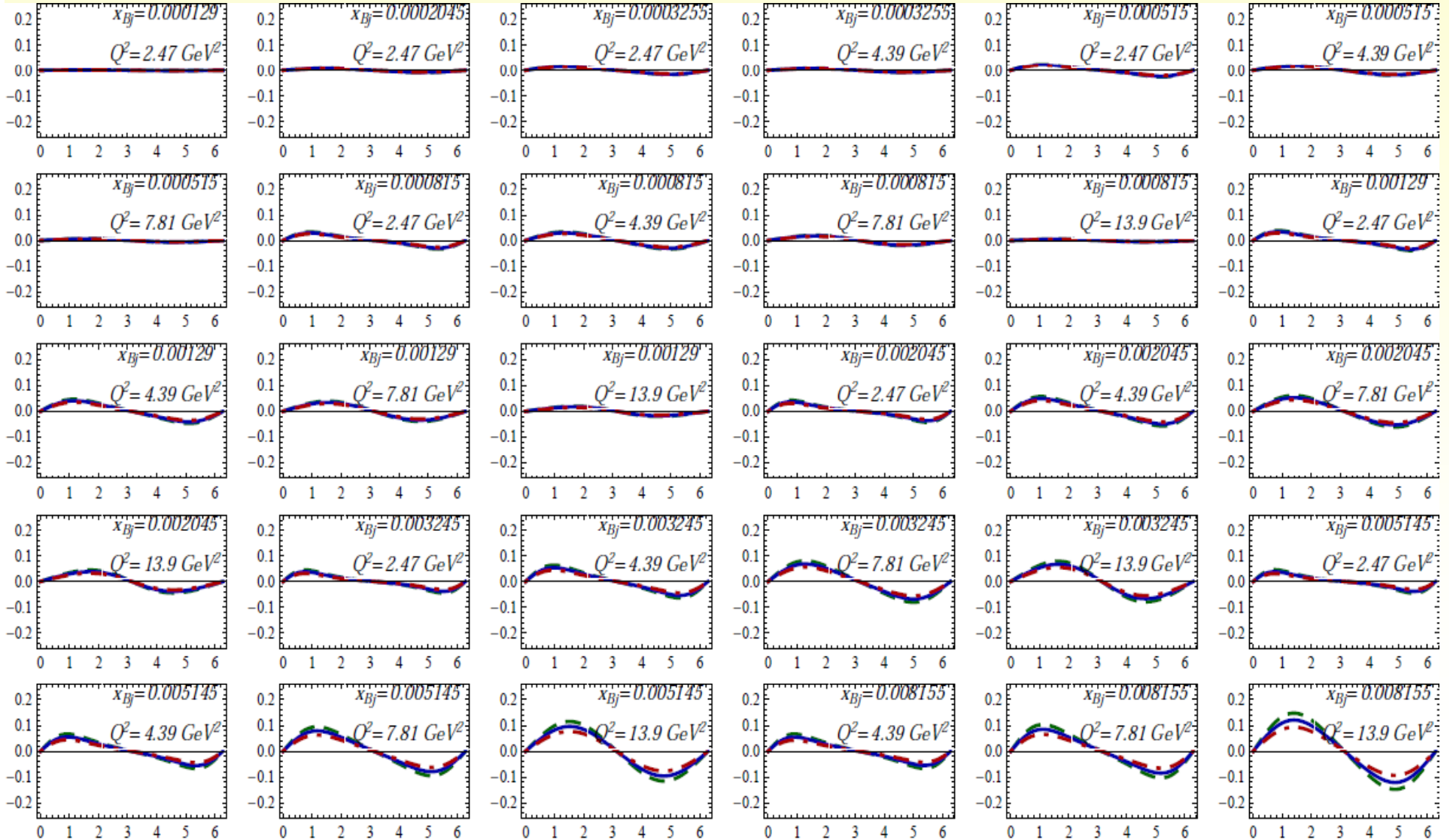
y-Transverse target spin asymmetry TSA

20x250 bins three models $E = 0$, $E = -H$, $E = +H$, sensitive to $\text{Im } E$



Longitudinal and x-transverse TSA

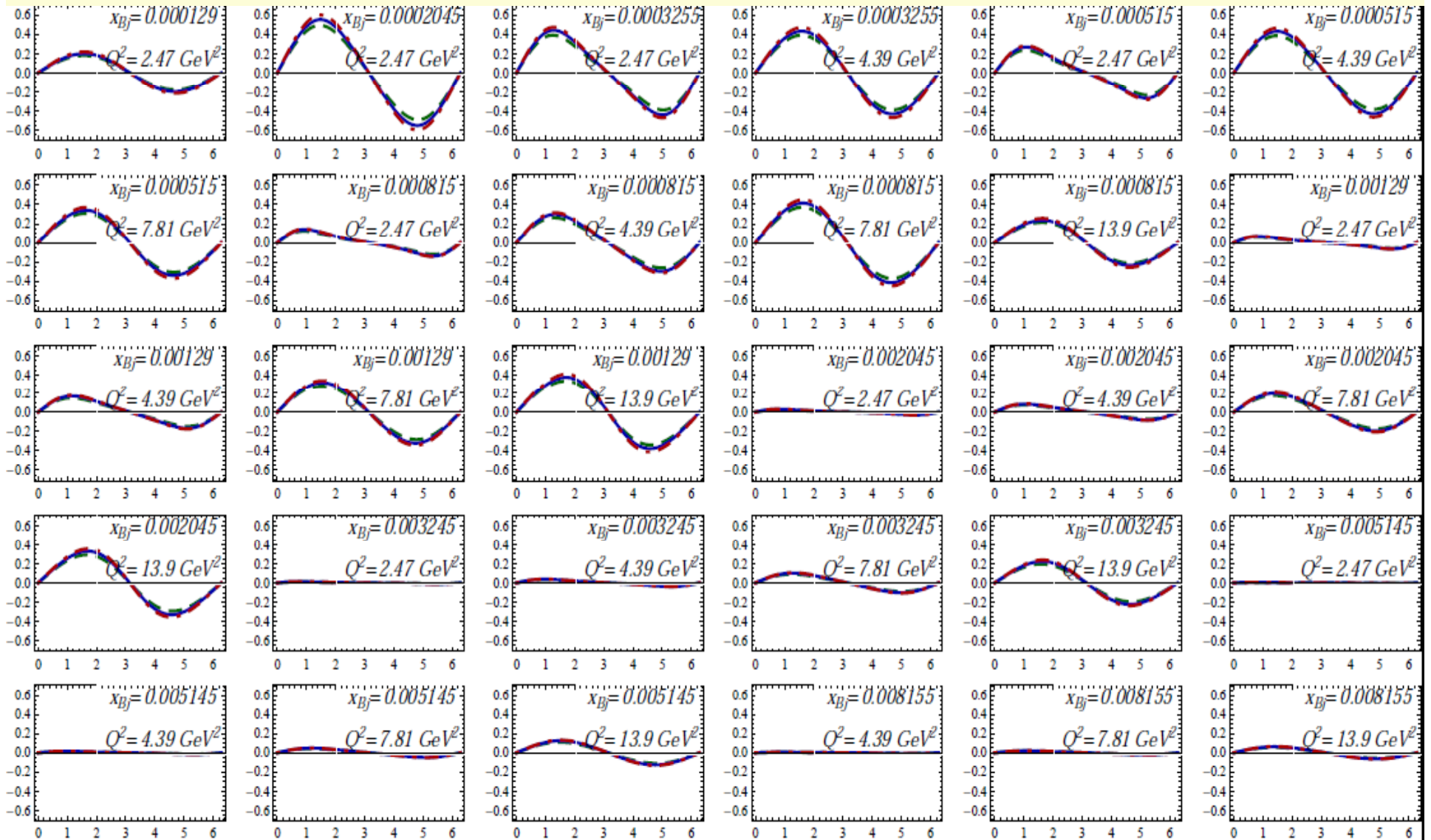
20x250 bins three models $\hat{H} = 0$, $\hat{H} = -H/2$, $\hat{H} = +H/2$, (in principle) sensitive to $\text{Im } \hat{H}$
non-zero values expected for larger x



Beam spin asymmetry BSA

20x250 bins three models $E = 0$, $E = -H$, $E = +H$

BSA requires large y values, not sensitive to E , however, to $\text{Im } H$



The first DVCS+DVMP fit to H1/ZEUS data

a global GPD fit to LO works surprisingly well $\chi^2/\text{d.o.f.} \sim 2$

